

Problem 8.29

Find V_o in the network in Figure P8.29

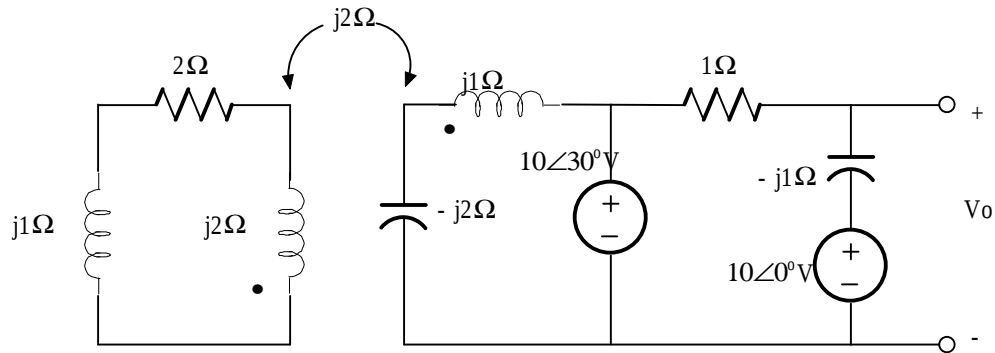
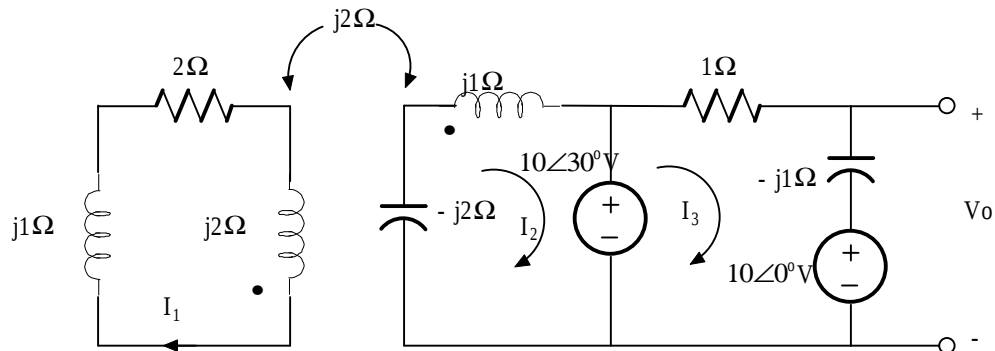


Figure P8.29

Suggested Solution



$$0 = I_1 (2 + j3) - j1 I_2 \quad (1)$$

$$-10\angle 30^\circ = -j1 I_1 + I_2(-j1) \quad (2)$$

$$10\angle 30^\circ - 10\angle 0^\circ = I_3 (1 - j1) \quad (3)$$

$$V_o = (-j1)I_3 + 10\angle 0^\circ \quad (4)$$

From (3) and (4)

we see that

V_o is independent of I_1 and I_2 !

$$\text{From (3), } I_3 = (10\angle 30^\circ - 10\angle 0^\circ) / ((\sqrt{2})\angle -45^\circ) = 3.66\angle 150^\circ \text{ A}$$

$$\text{From (4), } V_o = 3.66\angle 60^\circ - 10\angle 0^\circ$$

$V_o = 8.76\angle 158.80^\circ \text{ V}$

Problem 8.44

If $L_1 = L_2 = 4\text{H}$ and $k = 0.8$, find $i_1(t)$ and $i_2(t)$ in the circuit in Figure P8.44

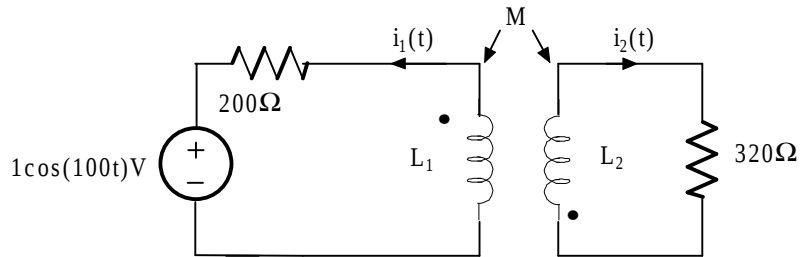
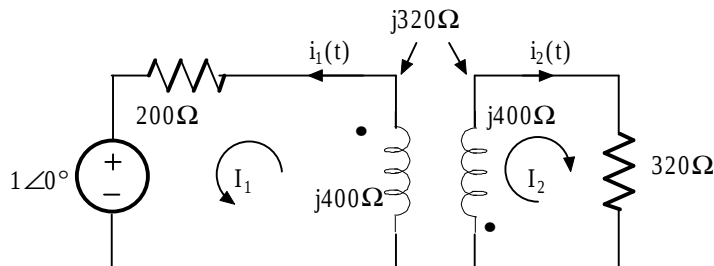


Figure P8.44

Suggested Solution

Convert to frequency domain!

$$1\cos(100t) \rightarrow 1\angle 0^\circ; \quad i_1(t) \rightarrow I_1; \quad i_2(t) \rightarrow I_2 \quad M = k(L_1 L_2)^{1/2} = 3.2\text{H}$$



$$1\angle 0^\circ = -I_1(200 + j400) + j320 I_2 \quad \text{and} \quad 0 = I_2(320 + j400) - j320 I_1$$

$$1\angle 0^\circ = [(-1.25 + j1)(200 + j400) + j320] I_2 \quad I_1 = I_2 (1.25 - j1)$$

$$I_2 = 1 / (-650 + j20) = 1.54\angle -178.24^\circ \text{ mA}$$

$$I_1 = I_2 (1.25 - j1) = I_2 (1.60\angle -38.66^\circ) = 2.46\angle 143.10^\circ \text{ mA}$$

$$i_2(t) = 1.54 \cos(100t - 178.24^\circ) \text{ mA}$$

$$i_1(t) = 2.46 \cos(100t + 143.10^\circ) \text{ mA}$$

Problem 8.51

Determine I_1 , I_2 , V_1 , and V_2 in the network in Figure P8.51

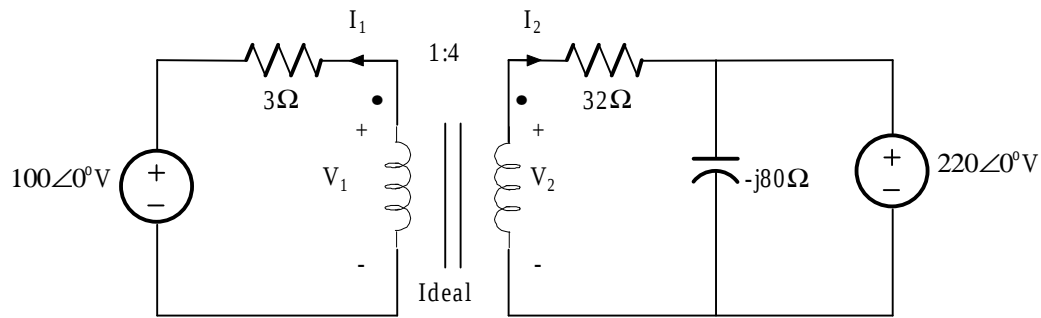
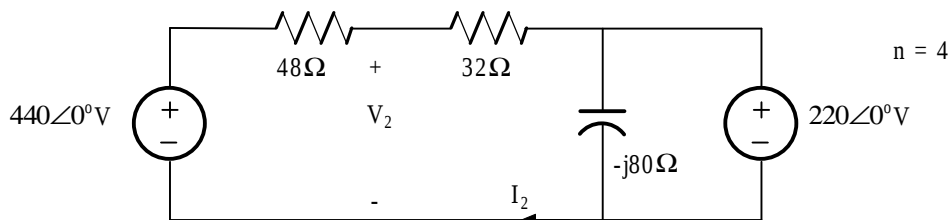


Figure P8.51

Suggested Solution



$$I_2 = (440 - 220) / (80) = 2.75 \angle 0^\circ \text{ A} \quad V_2 = 220 + 32I_2 = 308 \angle 0^\circ \text{ V}$$

$$V_1 = V_2 / n = 77 \angle 0^\circ \text{ V}$$

$$I_1 = -nI_2 = 11 \angle 180^\circ \text{ A}$$

Problem 8.55

Determine the input impedance seen by the source in the network shown in Figure P8.55

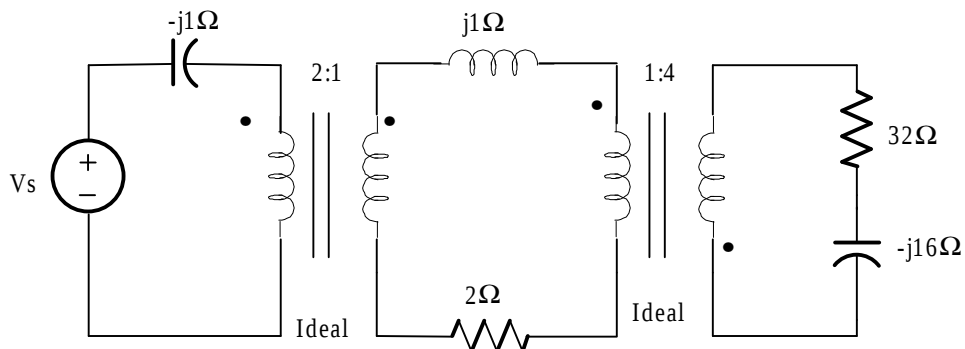
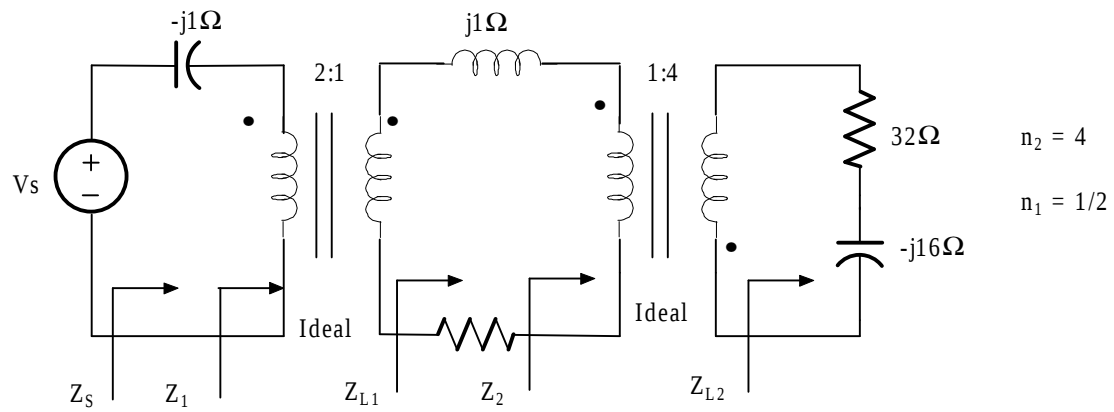


Figure P8.55

Suggested Solution



$$Z_{L2} = 32 - j16\Omega \quad Z_2 = Z_{L2} / n_2^2 = 2 - j1\Omega$$

$$Z_{L1} = 2 + j1 + Z_2 = 4\Omega \quad Z_1 = Z_{L1} / n_1^2 = 16\Omega$$

$Z_s = 16 - j1\Omega$